

# RNA structure, predictions

## Themes

- 2D, 3D
- structure predictions
- energies
- kinetics

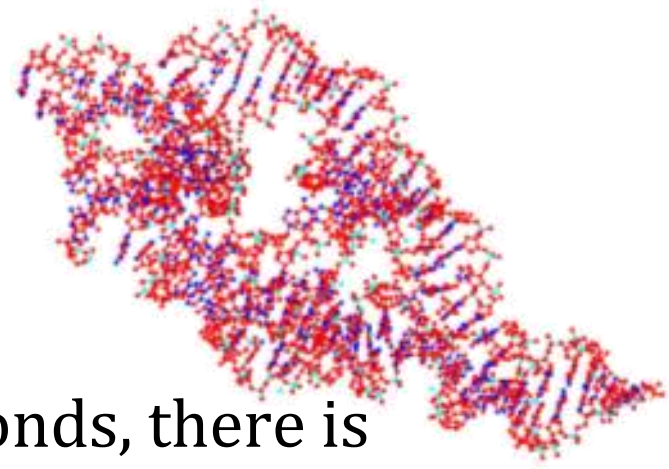
# Structure – protein vs RNA

Middle of proteins

- hydrophobic core - soup of insoluble side chains

Middle of RNA

- base-pairing / H-bonds
- much more soluble
  - if something wants to form H-bonds, there is competition from water



Protein structure lectures are not helpful today

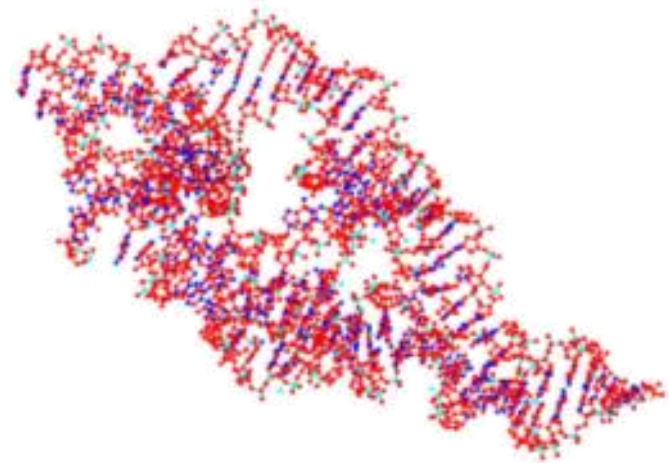
# RNA – how important is 3D structure ?

Binding of ligands (riboswitches, ribozymes)

- totally dependent on 3D shape -  
where functional groups are in space

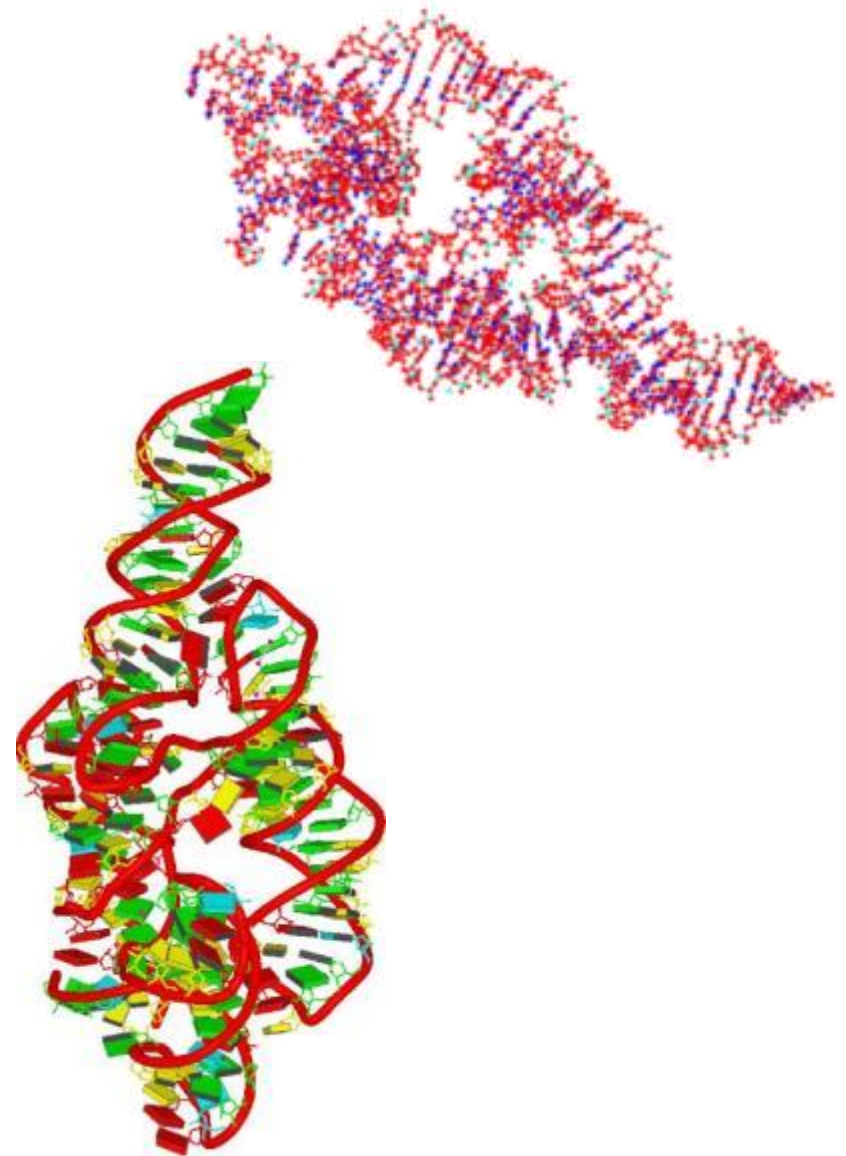
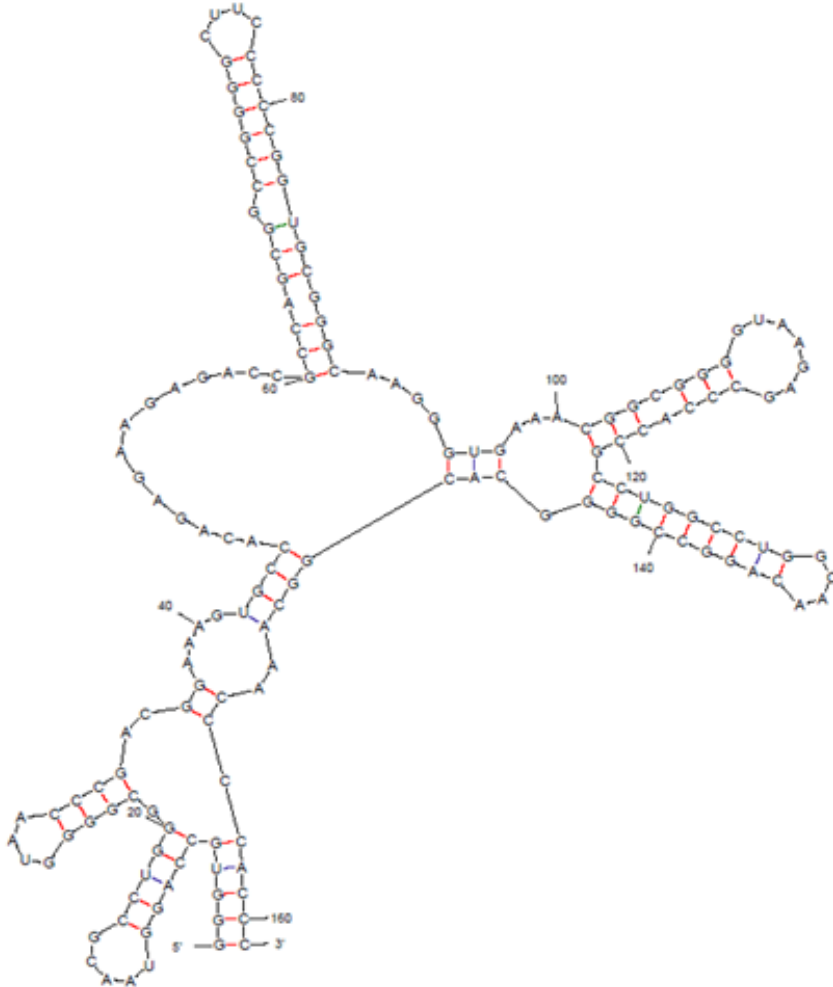
What do we do ?

- mostly ignore it



# How realistic is 2D ? How relevant ?

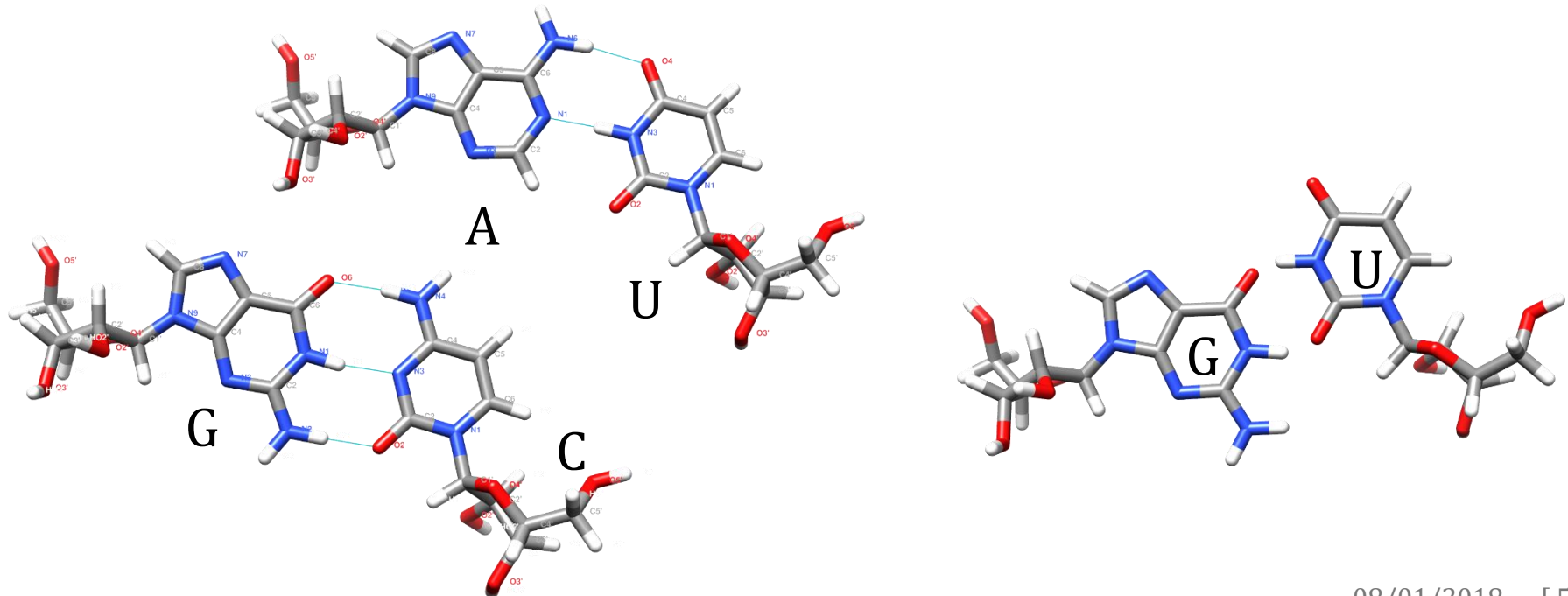
## 3D versus 2D



PDB acquisition code 1u9s

# 2D why of interest ?

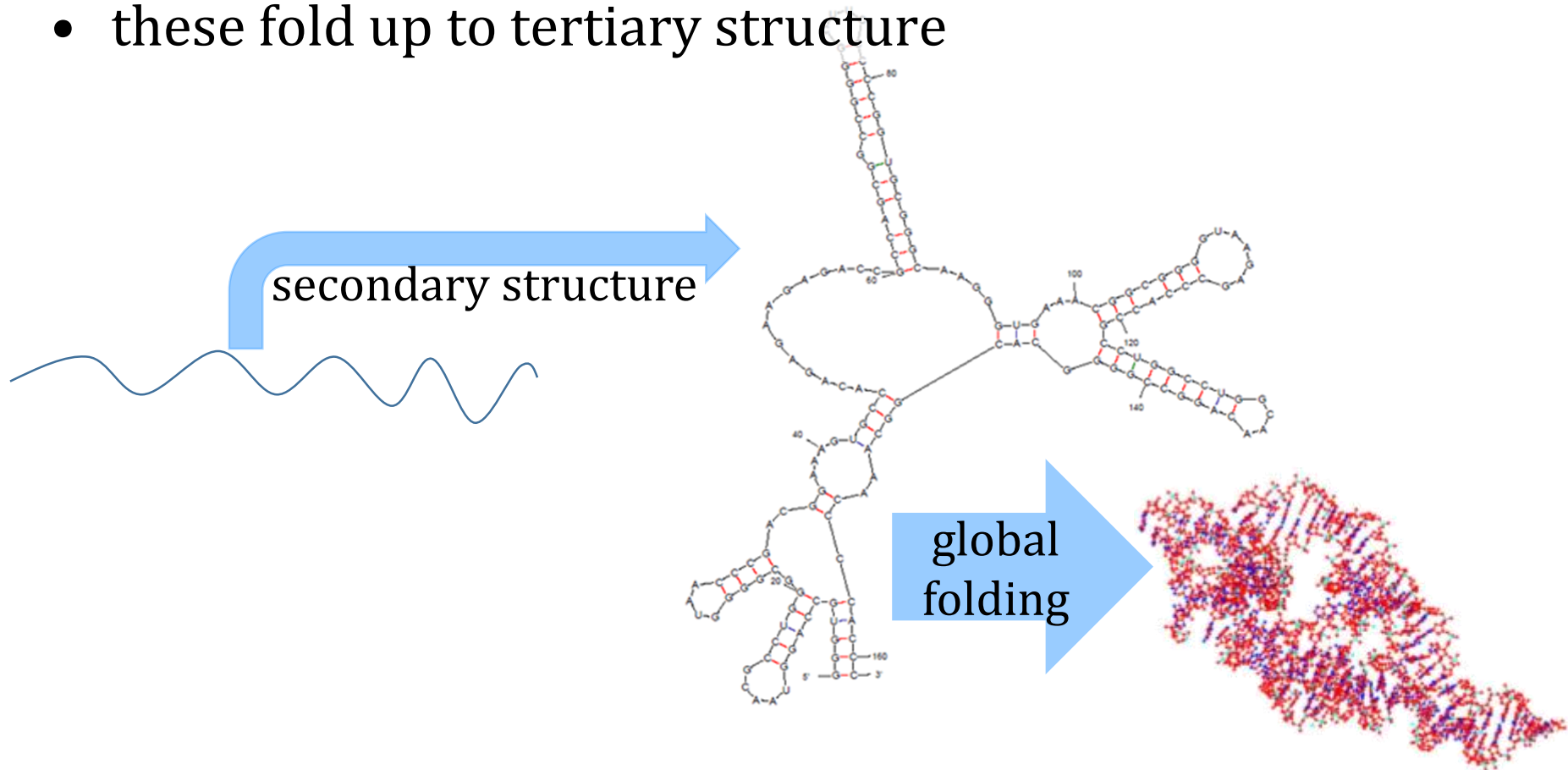
1. computationally tractable (fügsam / machbar)
2. historic – belief that nucleotides are dominated by base pairs + helices (classic and wobble)



# 2D why of interest ?

## 3. Claim - RNA folds hierarchically

- secondary structure forms from bases near in sequence
- these fold up to tertiary structure



## 2D why of interest ?

3. Claim - RNA folds hierarchically

Contrary evidence in protein world

- isolated  $\alpha$ -helices and  $\beta$ -strands are not stable in solution

Plausible in RNA world ?

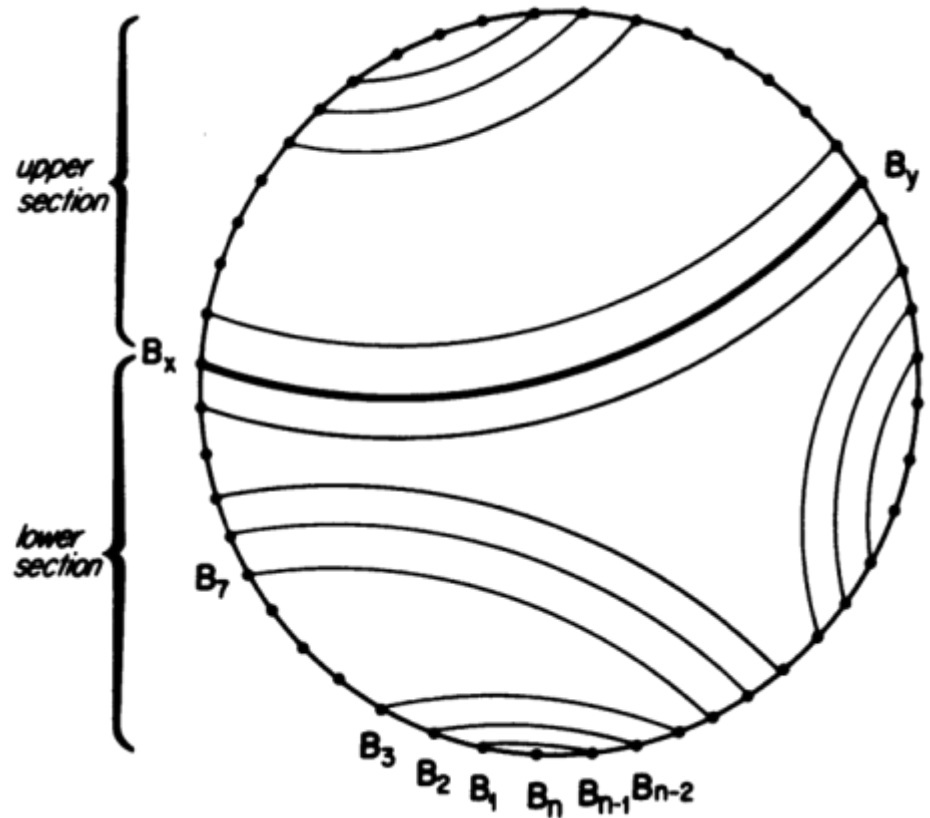
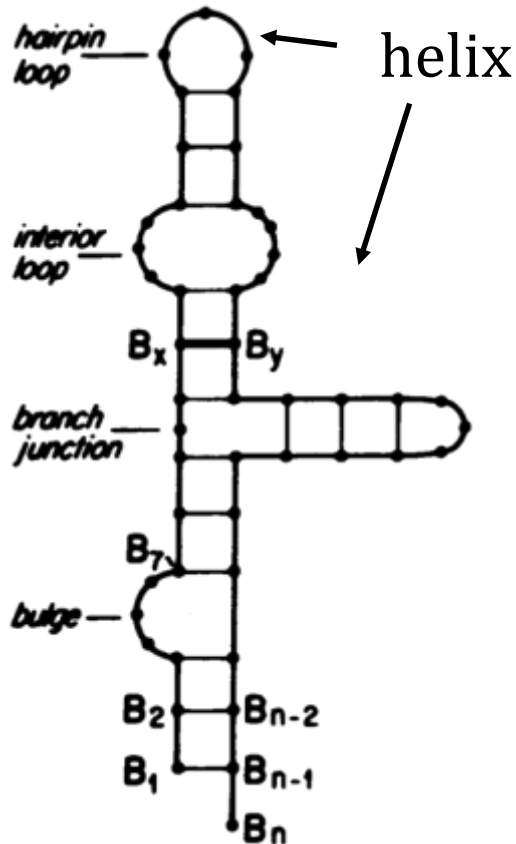
- RNA double strand helices are believed to be stable

Useful ? if true

- 2D (H-bond pattern) prediction is the first step to full structure prediction

# Four representations of flat RNA

## 1. conventional



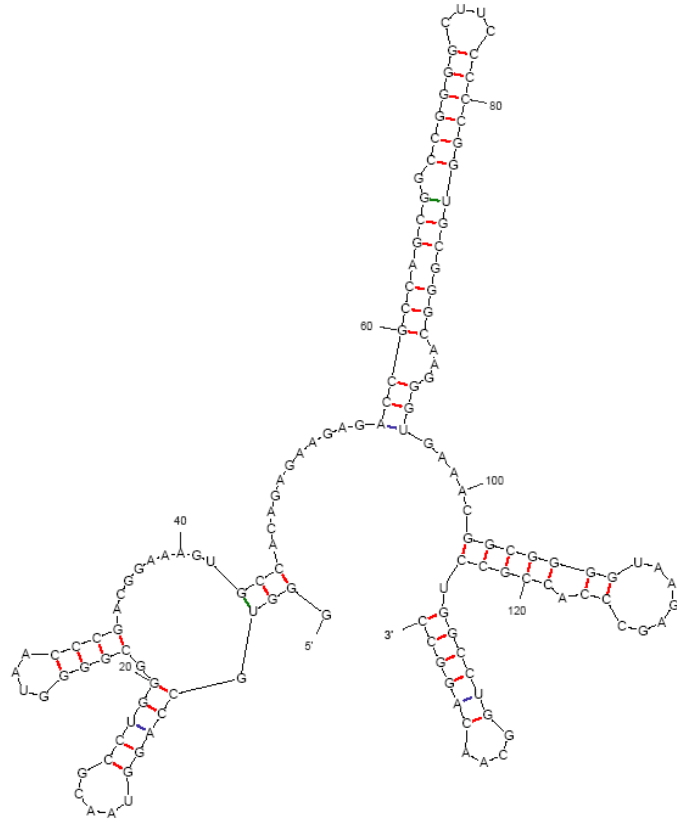
## 2. Nussinov's

- write down bases on circle
- arcs (lines) may not cross

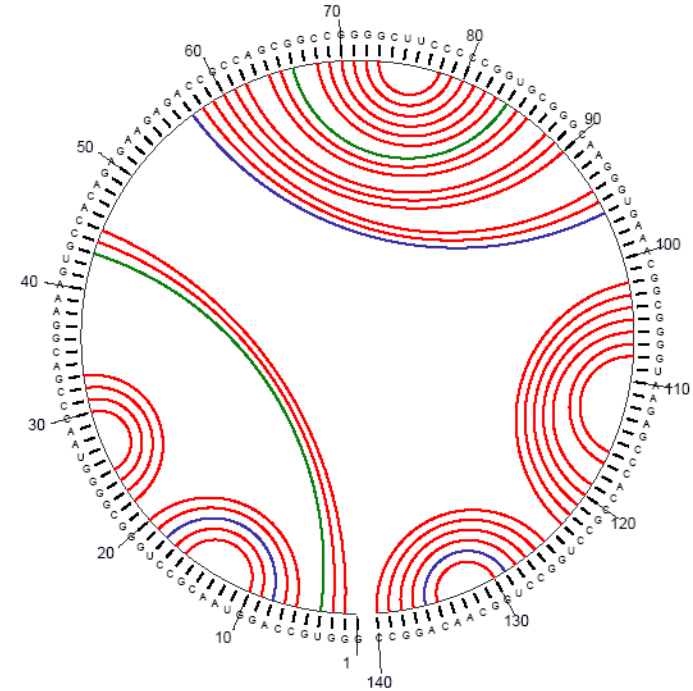
+ on next slide



# Four representations of flat RNA



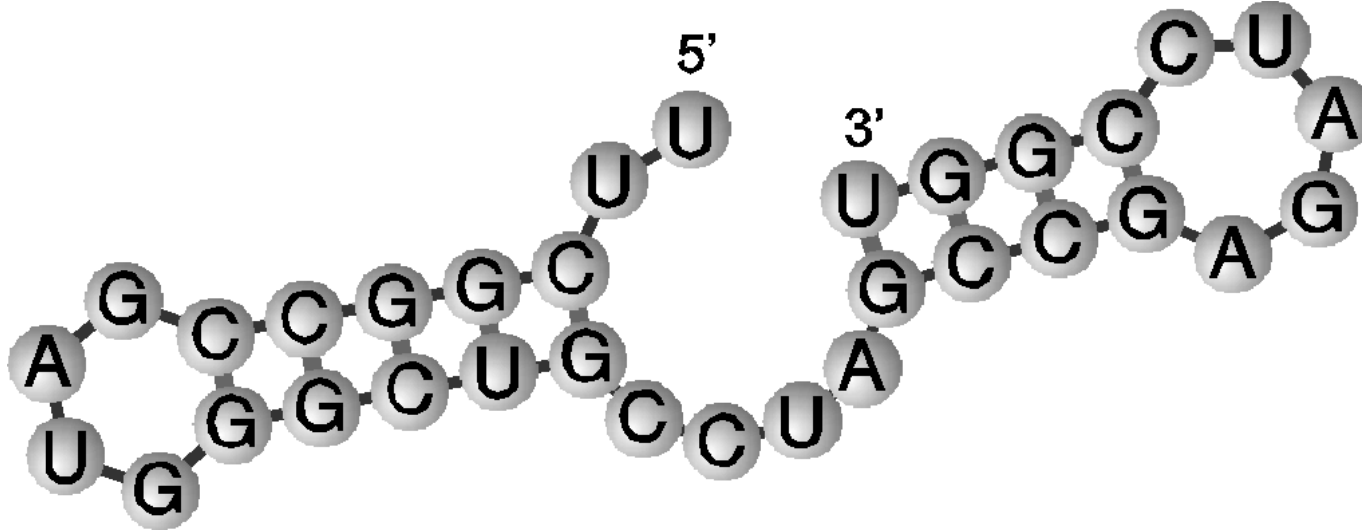
1. conventional representation



2. Nussinov's circle

Same features on both plots

# Parentheses

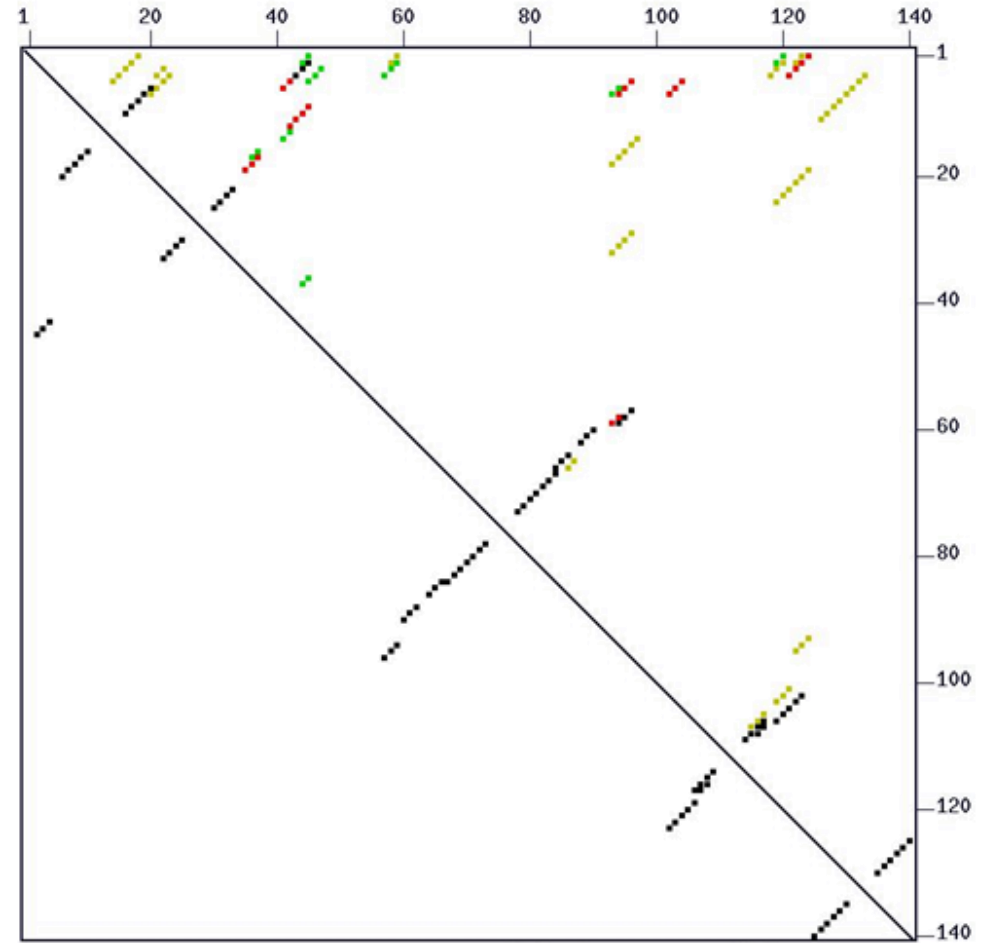
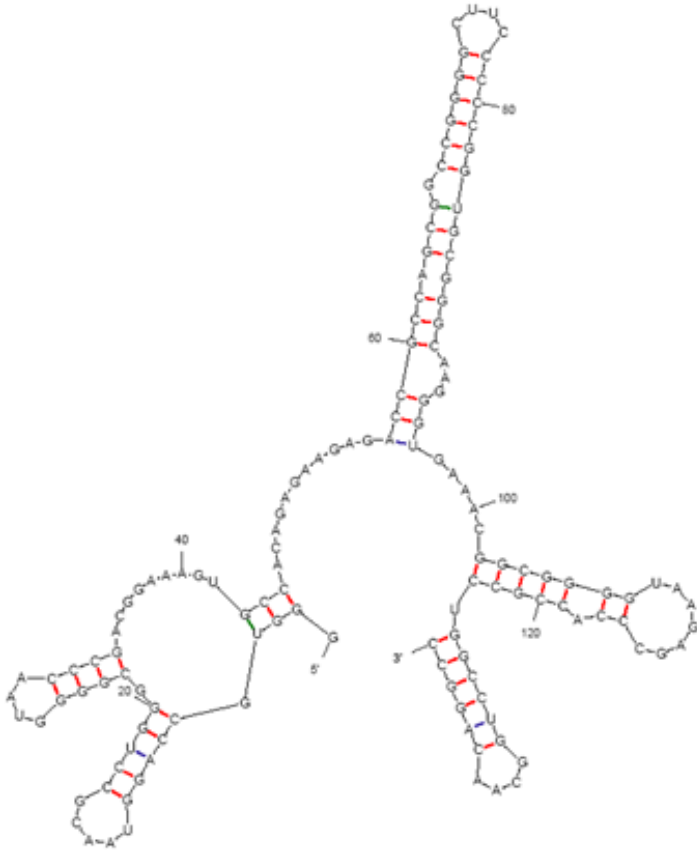


3. parentheses – most concise

.. (((((.....))))). . . . (((((.....)))))

- can be directly translated to picture
- easily parsed by machine (not people)

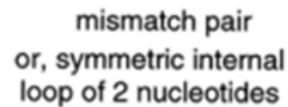
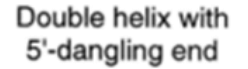
# Dot plots



## 4. Dot plots

## Same features in both plots

- look for long helix 57-97, bulges in long helix
- probabilities (upper right) – remember for later



- hairpin loop
- bulge (unpaired bases)

# 2D – properties and limitations

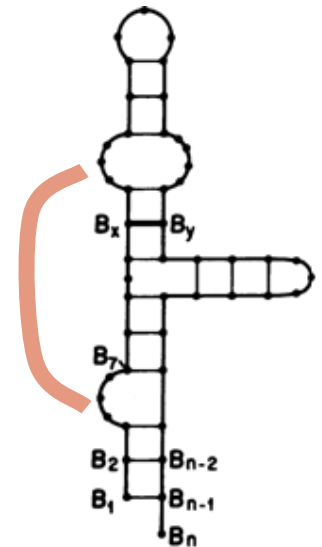
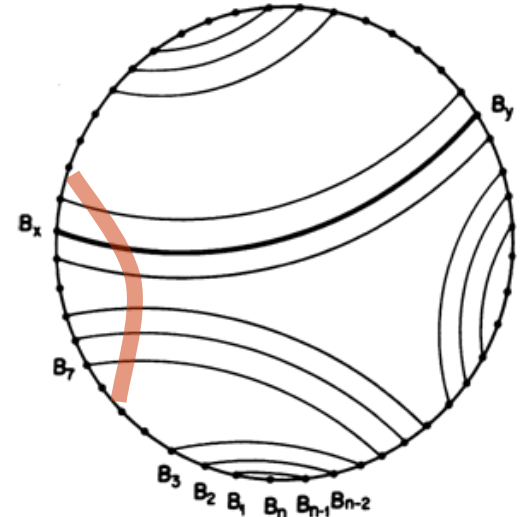
Declare crossing base pairs illegal

- think of parentheses
- discussed later

What do energies depend on ? (for now)

- just the identity of the partners
- 2 or 3 types of interaction
  - GC, AU, GU

What is the best structure for a sequence ?



# Predicting secondary structure

How many structures are possible for  $n$  bases ?

$$cn^{3/2}d^n$$

for some constants  $c$  and  $d$

- exponential growth ( $d^n$ )

Problem can be solved

- restriction on allowed structures
- clever order of possibilities

# Best 2D structure (secondary)

First scoring scheme :

- each base pair scores 1 (more complicated later)

Problem

- some set of base pairs exists – maximises score

Our approach

- what happens if we consider all hairpins ?
- what happens if we allow hairpins to split in two pieces ?

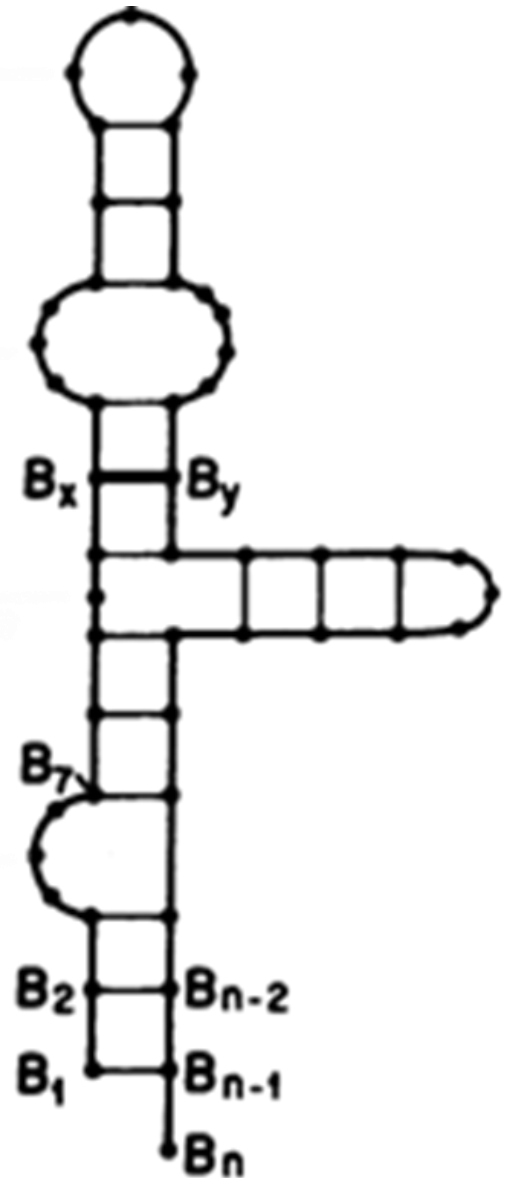
# Philosophy

Structure is

- best set of hairpins (loops)
  - with bulges
  - loops within loops

Start by looking at scores one could have

- try extending each hairpin





# hairpins / loops

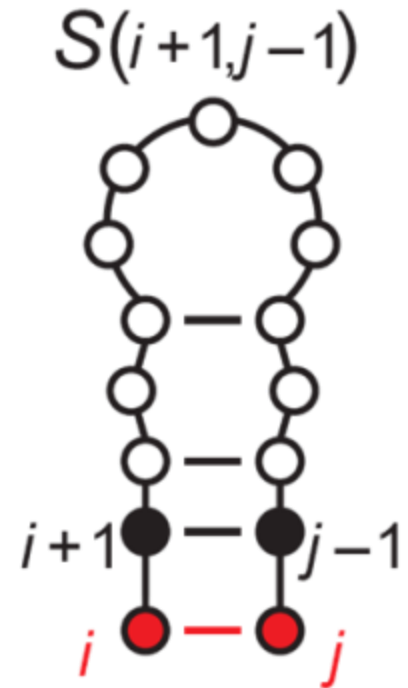
Start by looking for best possible hairpin

If we know the structure of the inner loop

- we can work out the next

If we know the black parts

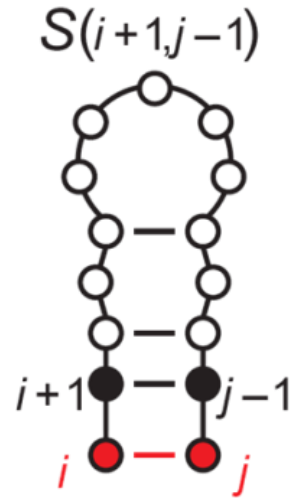
- we can decide what to do with the red  
*i* and *j*



# hairpins / loops

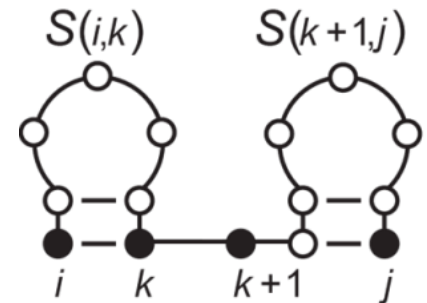
## Important idea

- if I know the optimal inner loop  
try to extend it
- try to insert gaps - see if score is improved



## Next important point

- walk along sequence  $1..n$  see if score is better with two loops



Guarantees optimal solution, but...

# Pseudoknots

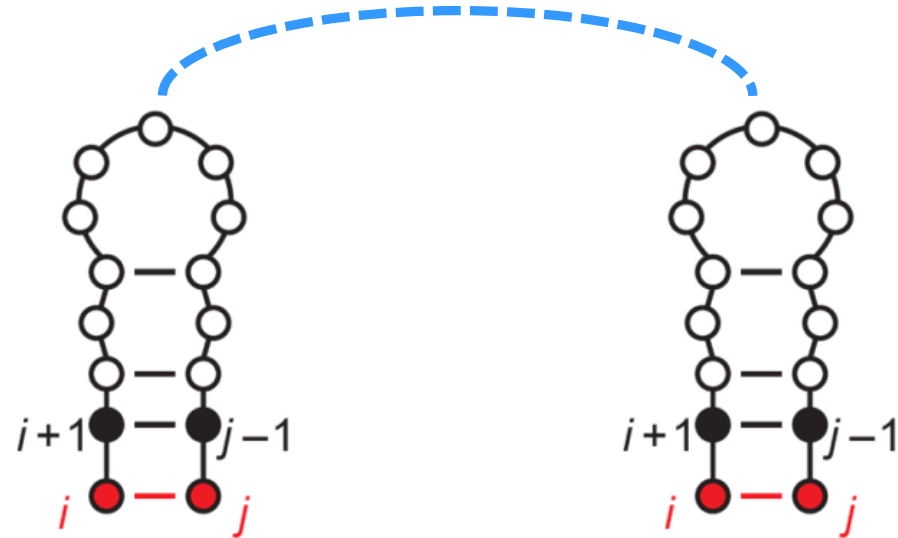
Have we considered .. ?

No !

Name – pseudoknot

Do we worry ?

- Stellingen – no
- here ? Probably.



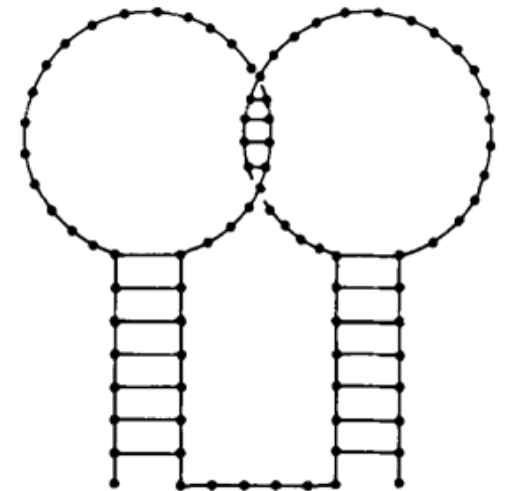
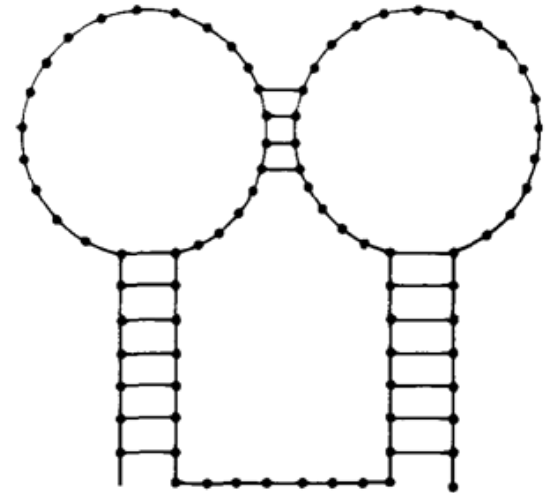
# Pseudoknots

Pseudo-knot – not a knot

- why the name ?

Topologically like a knot

Would you expect them to occur ?



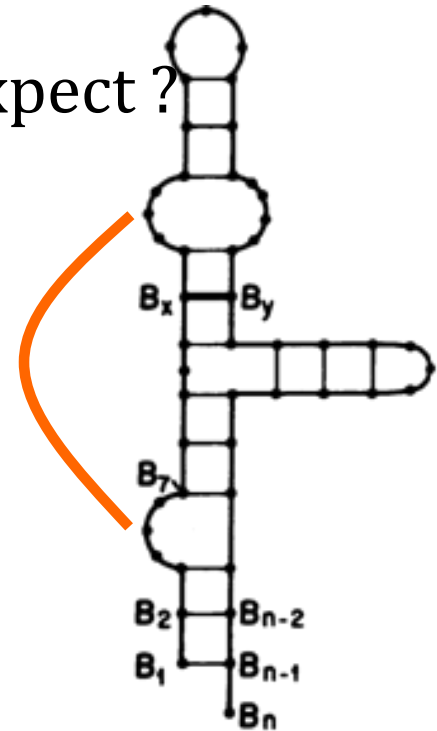
# Pseudoknots

Given some unpaired bases, what would you expect ?

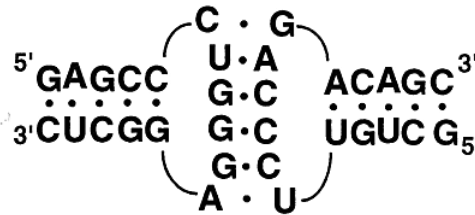
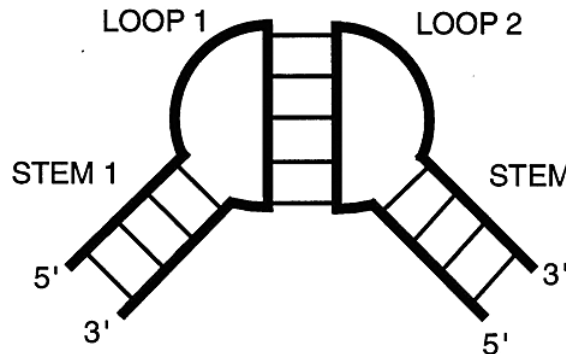
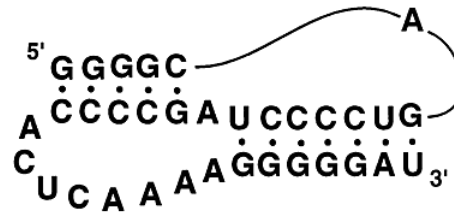
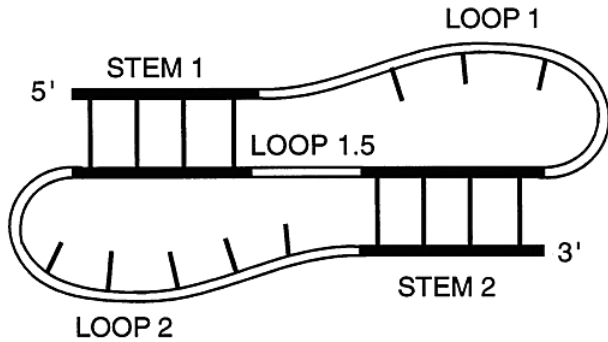
- solvate ?
- form more H-bonds ?
- pack bases against each other ?

Cannot (practically) be predicted

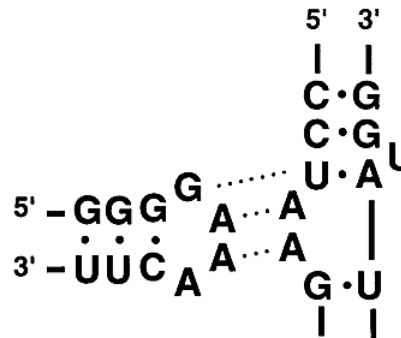
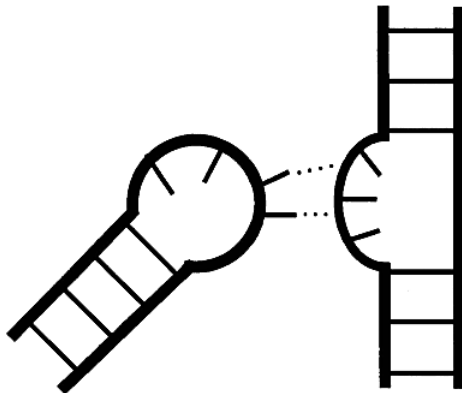
- order of steps in base-pairing methods



# pseudoknots



kissing  
hairpins



hairpin loop -  
bulge

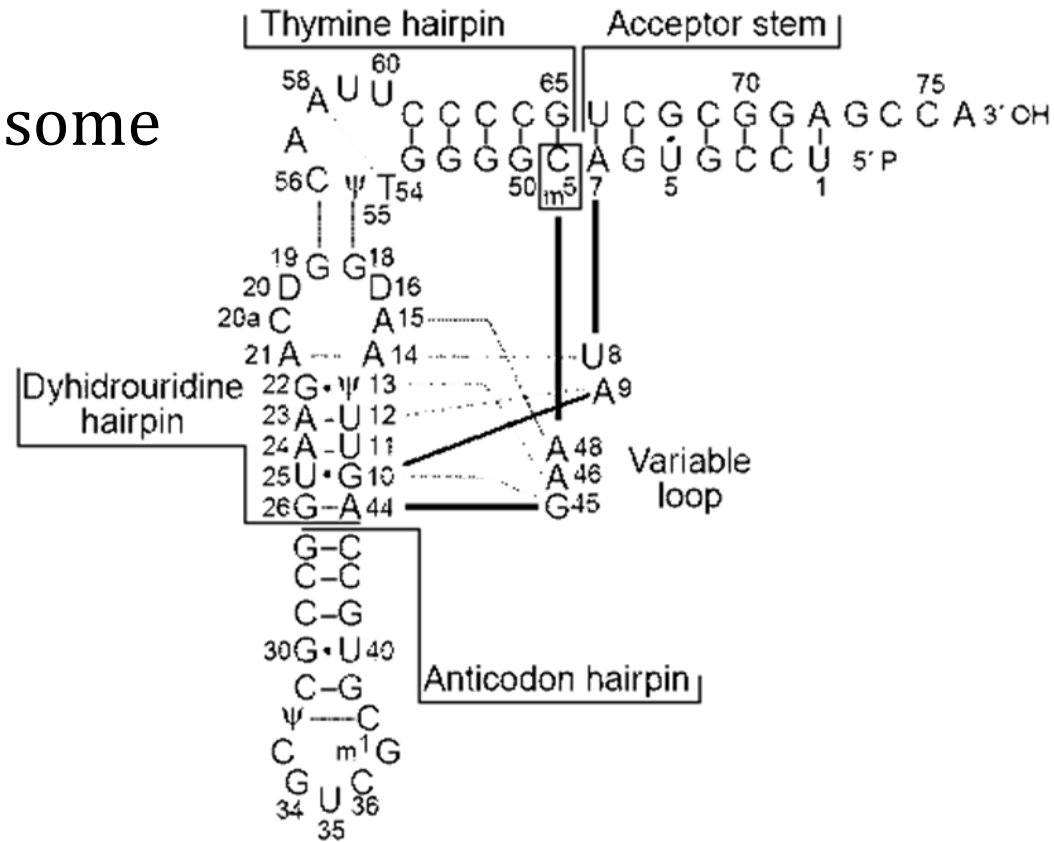
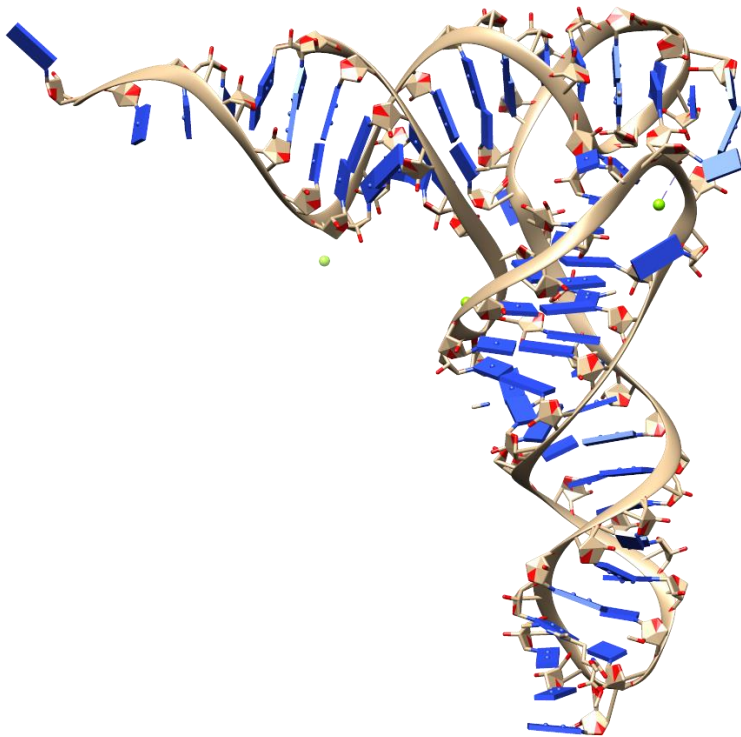
# pseudoknots

Frequency of pseudoknots ?

- a few % of all H-bonds / base pairs

Significant ?

- most structures will have some
- classic RNA example



# pseudoknot summary

Fast algorithms cannot find pseudoknots

- in order to go fast, the algorithms work in a special order
- some base pairs come in "wrong" order
- most web servers, fast programs ignore the problem

A real limitation in the methods

How expensive are the methods ?



# cost of predicting structure..

The methods are not perfect.. How expensive are they ?

for each  $i$  (growing loops)

test each  $j$

try each  $k$  (splitting loops)

gives  $n \times n \times n = O(n^3)$

# Scoring schemes – H bonds

First step – from base pairs to H-bonds

We know

- GC 3 H-bonds
- AU 2 H-bonds
- GU 2 H-bonds

Compare a structure with

- $3 \times \text{GC}$  versus  $4 \times \text{AU}$
- 9 H-bonds versus 8 H-bonds

# Scoring schemes – unpaired bases

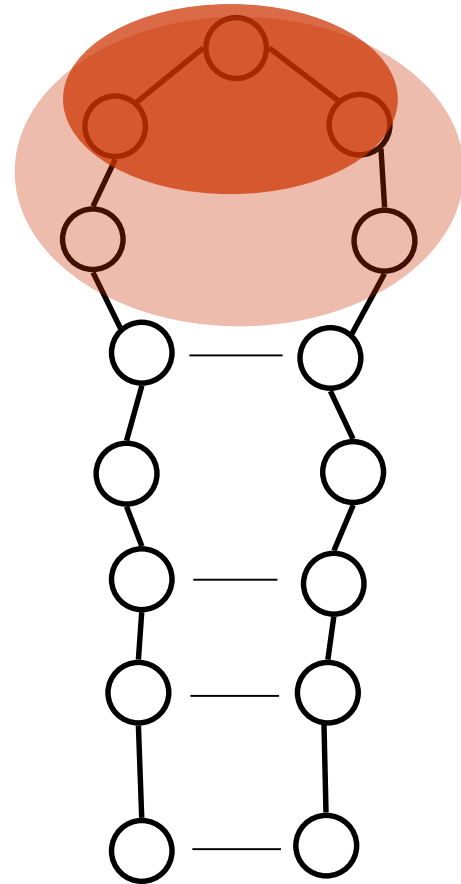
## Second improvement

Consider unpaired bases

- counted for zero before
- compare loop of 3 / 5 / ..

Do these bases

- interact with each other ? solvent ?
- energy is definitely  $\neq 0$



# Scoring schemes - stacking

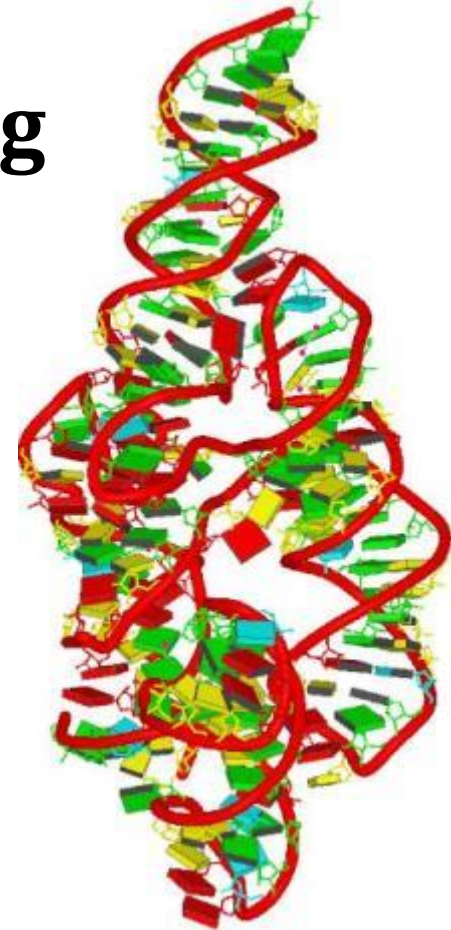
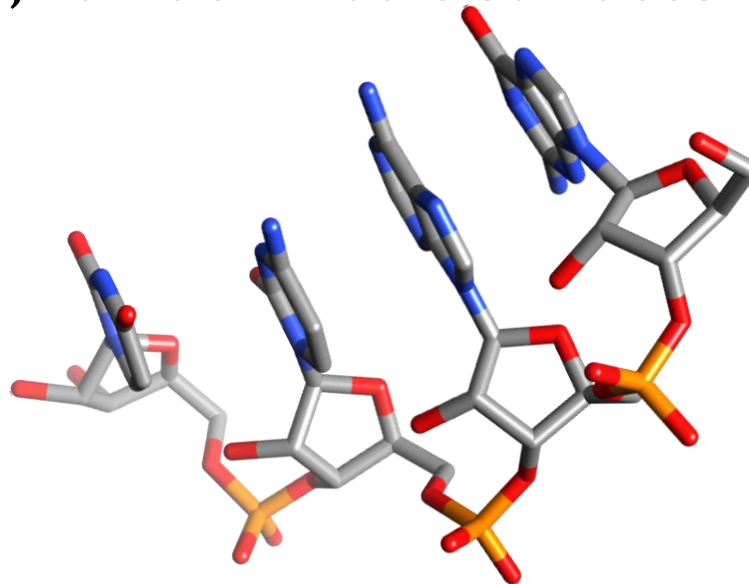
Third improvement

Bad assumption: each basepair is independent

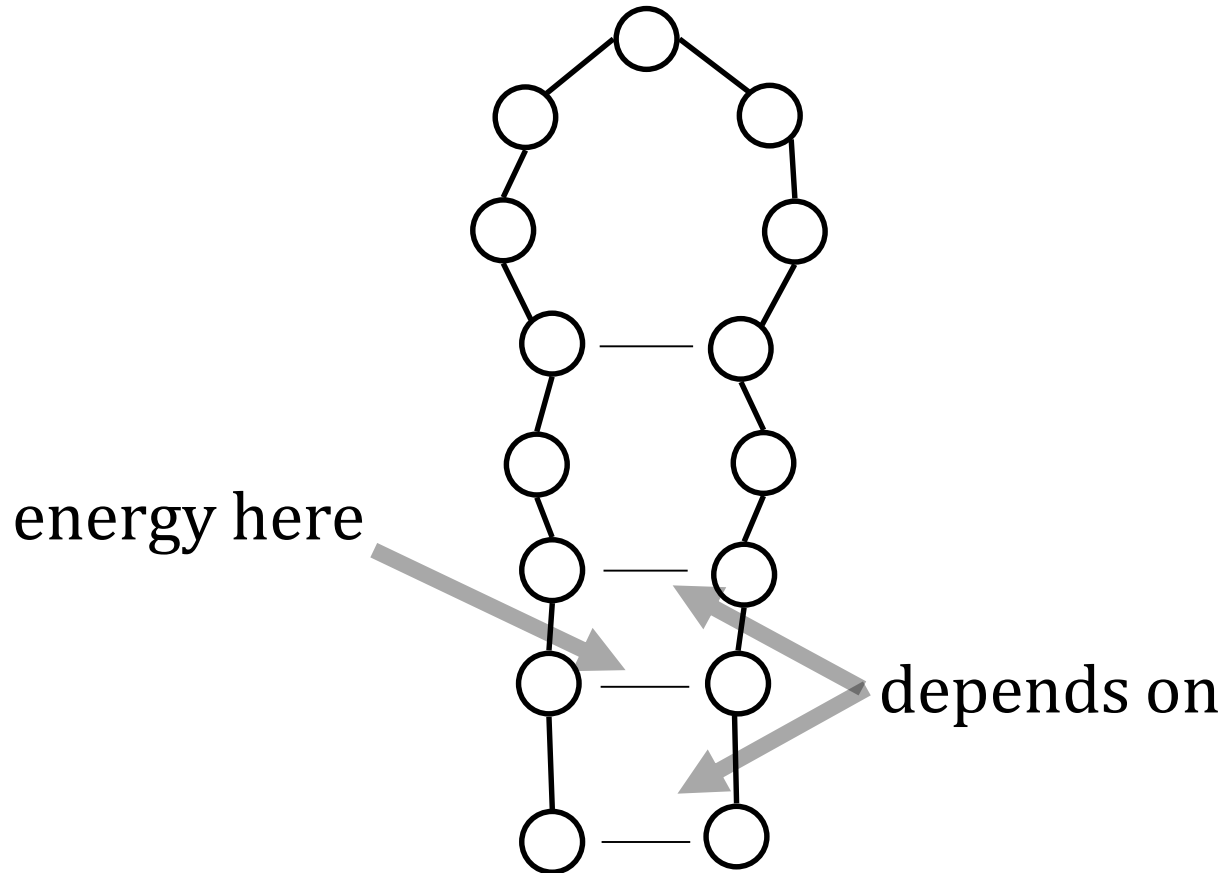
- $S(i,j) = \text{base-pair} + S(i+1, j-1)$

Consider all the interacting planes

- partial charges, van der Waals surfaces



# Scoring schemes - stacking



## Goal

- incorporate most important effects
- do not add too many parameters ... nearest neighbour model

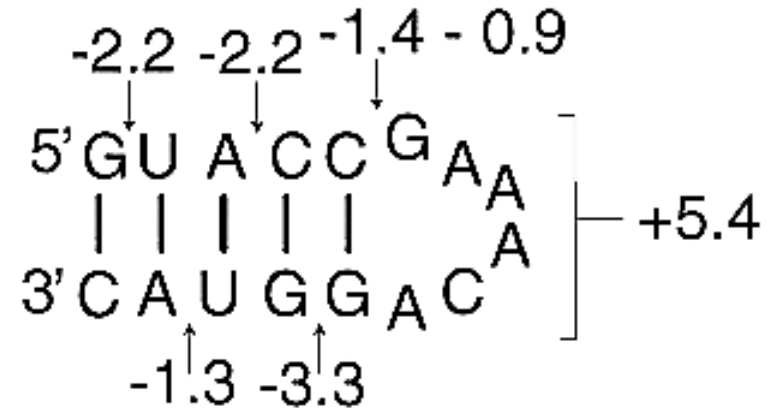
# Nearest neighbour model

Previously we added

- GC + UA + AU + ...

Now

- (GU/CA) + (UA/AU) + ..
- terminal loop costs 5.4 kcal mol<sup>-1</sup>



# scoring summary

Approximation to free energies -  $\Delta G_{folding}$

$n$  base pairs

very primitive

---

$n$  H-bonds

---

loop sizes

---

base-stacking

nearest neighbour model

---

tertiary interactions

ignored

# Reliability

How accurate ?

- maybe 5 – 10 % errors in energies

How good are predictions ?

- maybe 50 – 75 % of predicted base pairs are correct

Why so bad ?



# Reliability – alternative structures

Think of an "A"

- wants to pair with a U
- there are many many U's

Think of any base

- many possible good partners

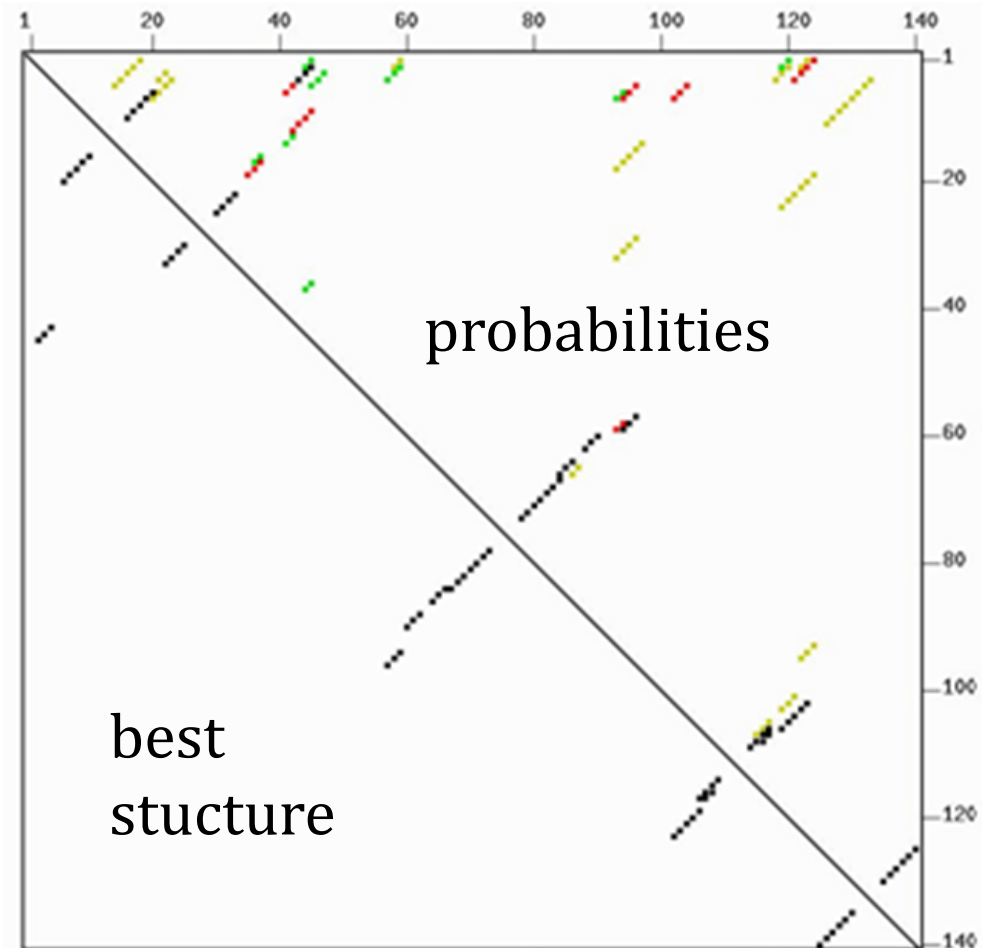
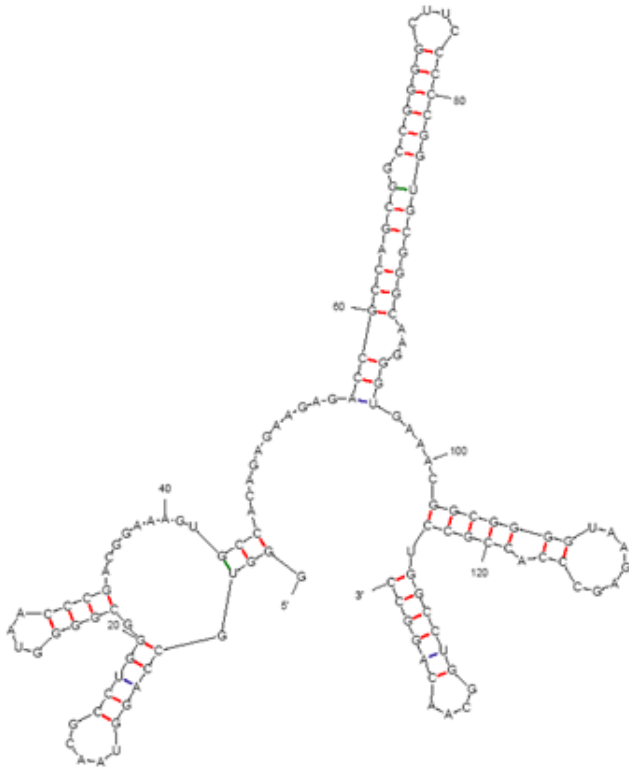
Consider whole sequence

- there may be many structures which are almost as good (slightly sub-optimal)

Treat in terms of probabilities

# Probabilities

- lower left – best structure
- upper right – probabilities of base-pairs

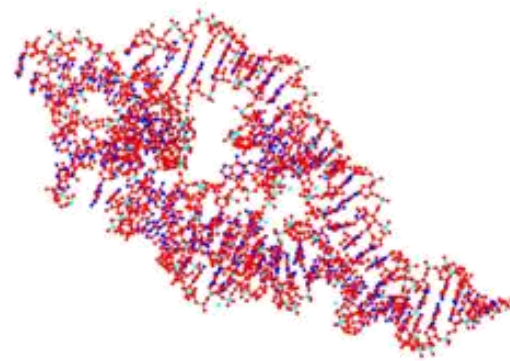
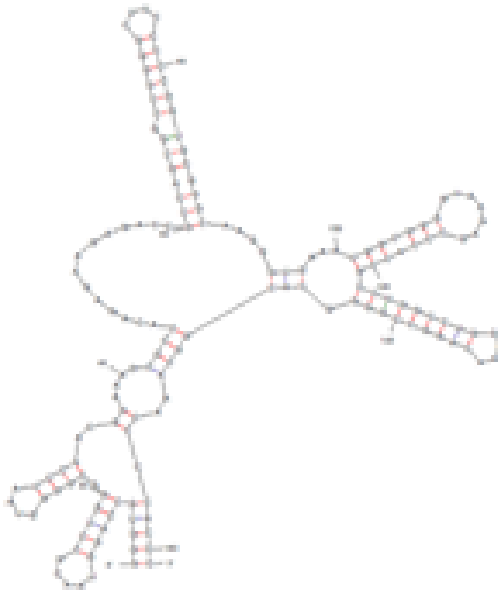


# Reliability - Tertiary interactions

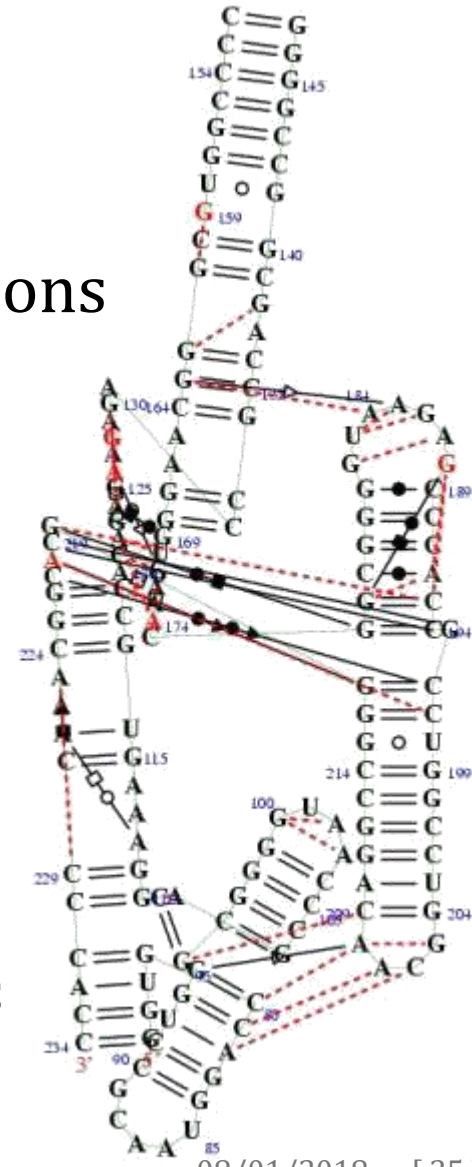
- miscellaneous H-bonds
- non-specific van der Waals

Most larger RNA's have many tertiary interactions

- relatively compact

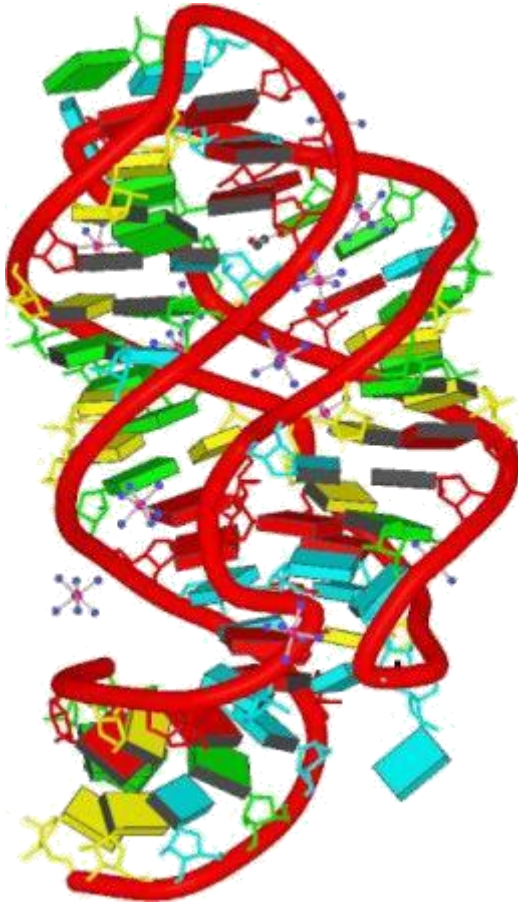


tertiary interactions  
from crystal

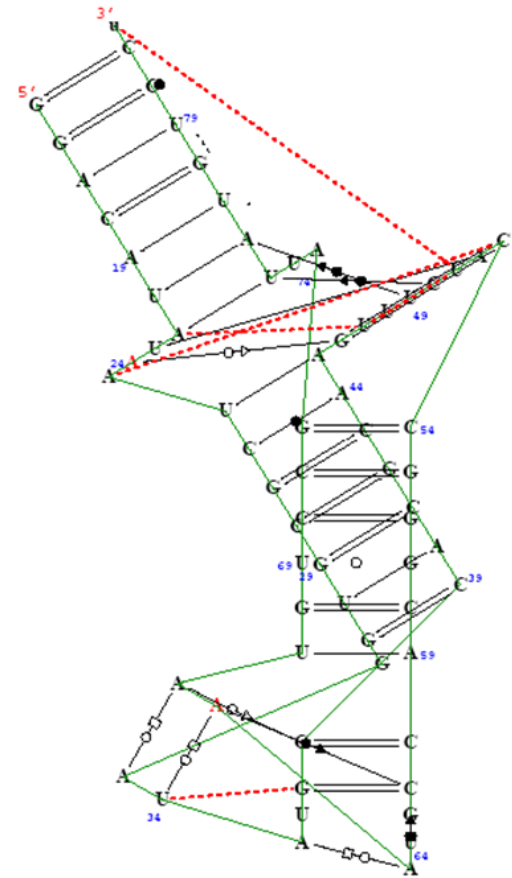


# 2D vs 3D

2g9c purine  
riboswitch

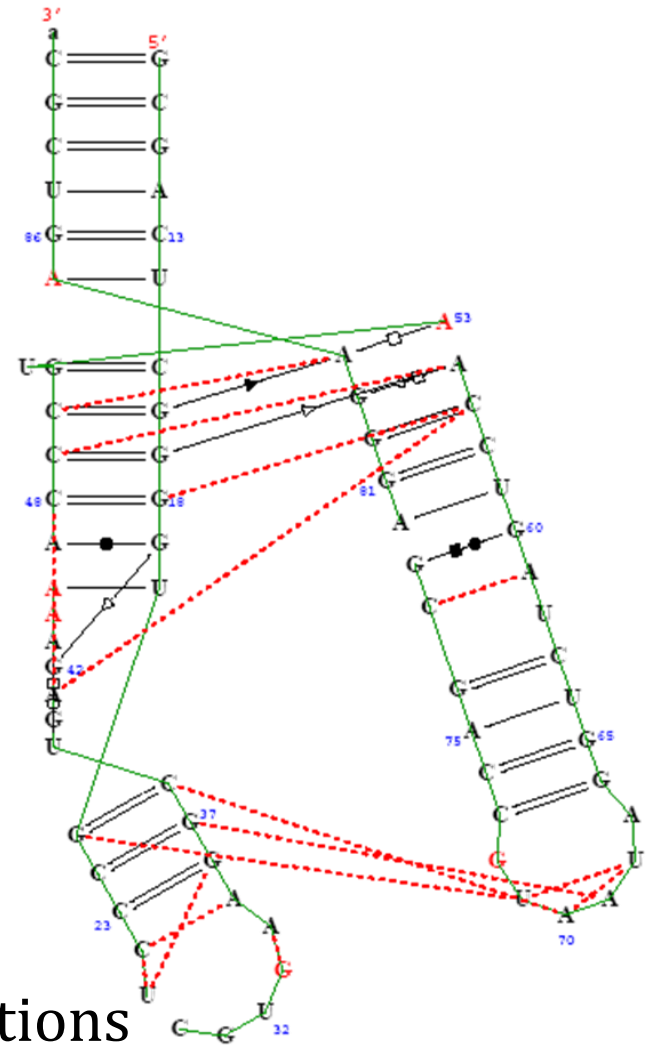


tertiary interactions  
from crystal



# 2D vs 3D

2hoj



tertiary interactions  
from crystal

# Reliability - summary

1. alternative structures with similar energies
  - if the second best guess is the correct one
    - you will not see it
2. tertiary interactions are not accounted for

# State-of-the-art predictors

Related sequences from other species fold the same way

## Procedure

- collect closely related RNA sequences from data bank
- try to fold all simultaneously

Why is this good ?

- imagine our mistakes are random
- repeating the calculation averages over random errors

Imagine you could predict the best secondary structure perfectly. Is the problem solved ? ...

# Kinetics

Imagine you can predict 2D structures

- are you happy ?

Two possible scenarios

- kinetic trapping
- slow formation

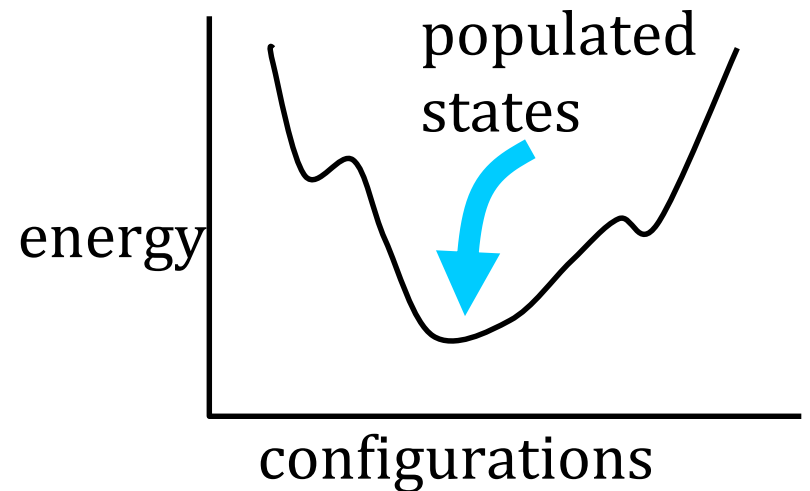


# Kinetic trapping

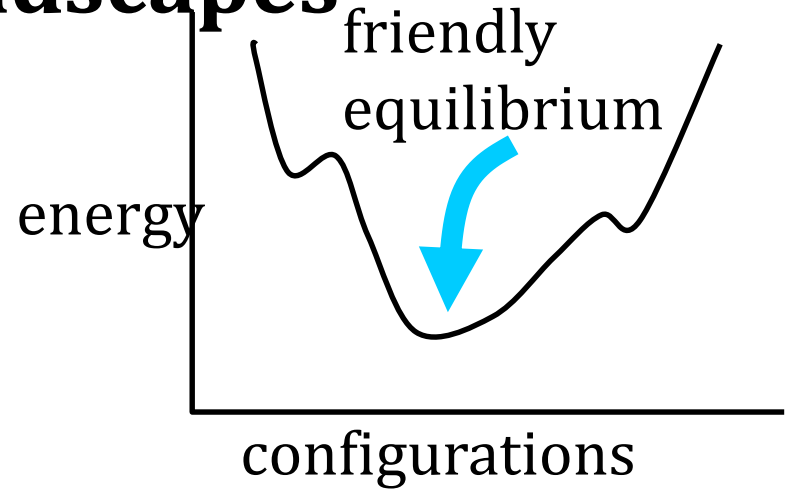
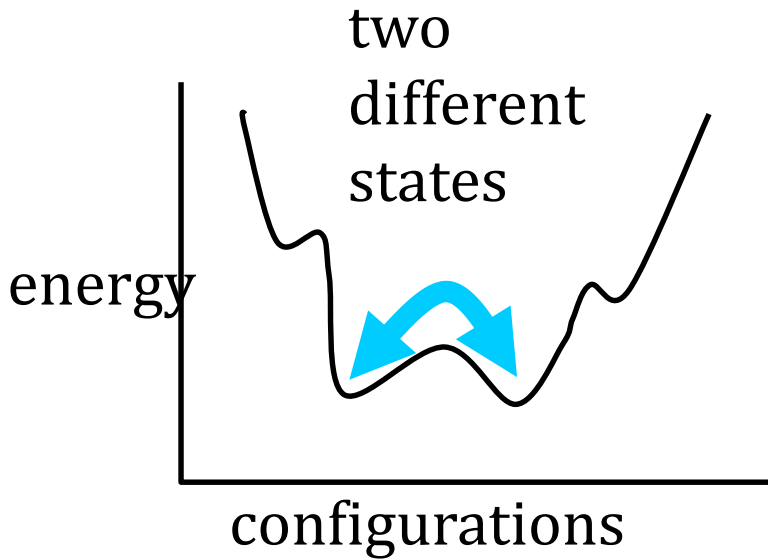
Term from protein world

Wherever the molecule is

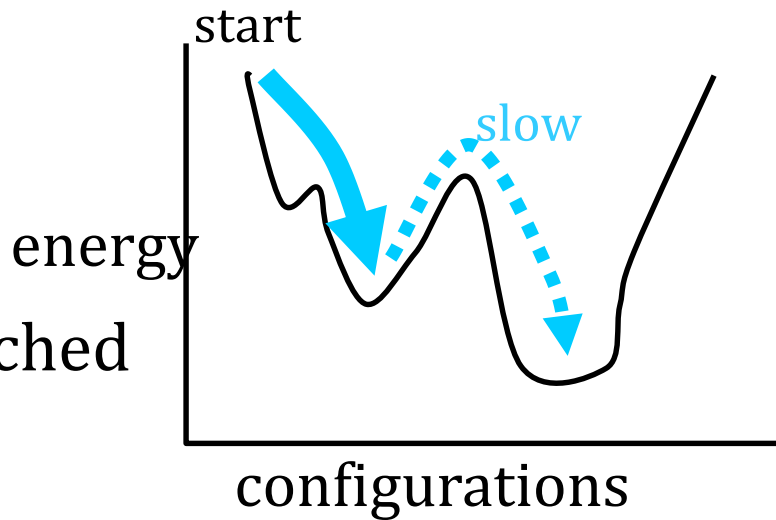
- it will probably go to energetic minimum
- less friendly landscape



# Energy landscapes



If barrier is too high, best conformation may never be reached



# How real is the problem ?

Consider base of type G

- there are many C's he could pair with
- only one is correct

There are many local minima on the energy landscape

# Landscapes / kinetics

Can one predict these problems ?

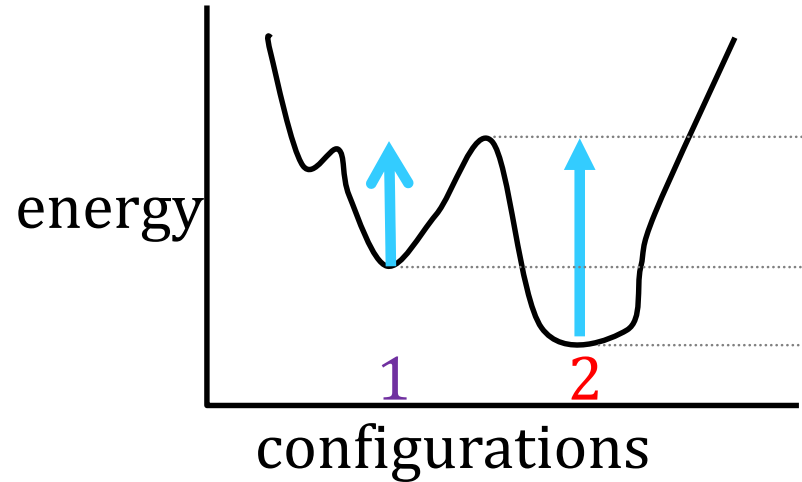
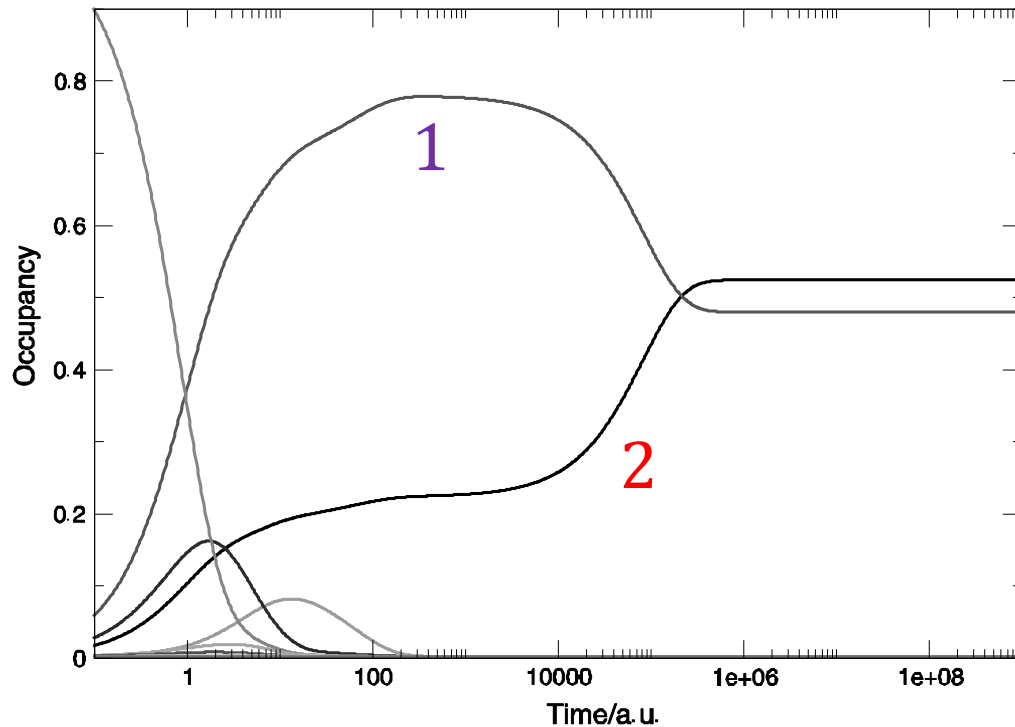
- not with methods so far

Try with simulation methods

- Monte Carlo / time-based methods
- start with unfolded molecule
- use classic methods to get a set of low energy predictions
- simulate folding steps
  - measure amount of each good conformation with time..

# Example calculation

- conformation **1** forms rapidly
- conformation **2** slowly forms
  - conformation **1** disappears

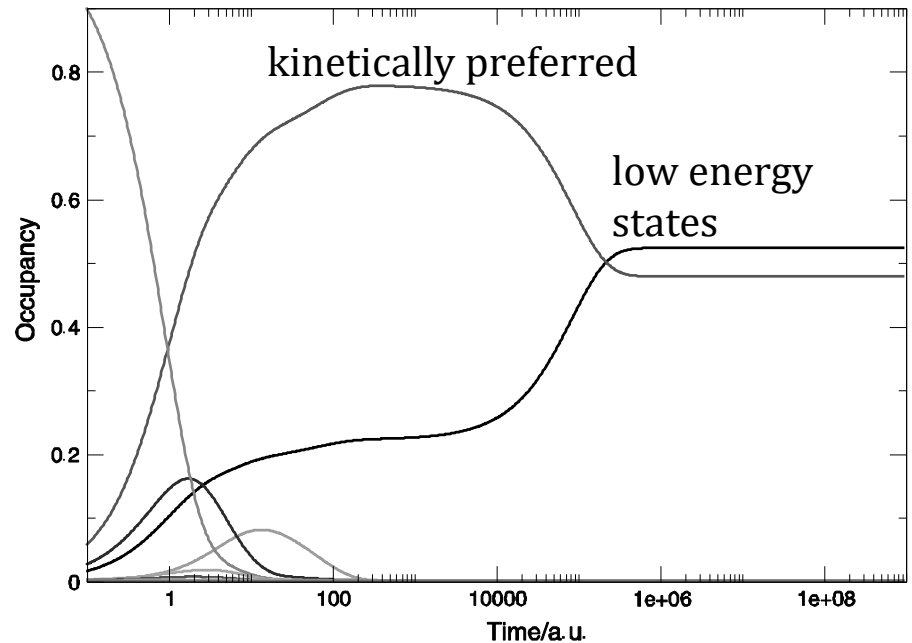


# Implications

What if RNA is degraded ?

Molecule disappears before it finds best conformation

"kinetically preferred"  
conformations may be more  
relevant than best energy



# summary

Tertiary structure very important (binding of ligands)

2D (secondary structure calculations)

- fast
- limits structures one can predict (no pseudoknots)
- predictions are not reliable
- used everywhere in literature (coming seminars)

You may lose anyway (kinetics)